



Identification of aerodynamic coefficients based on free-flight data

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Introduction – MarcoPolo-R mission

Objective of the mission:

MarcoPolo-R comprise a primary spacecraft with an **Earth Re-entry Capsule (ERC)**

The spacecraft will fly to a Near-Earth Asteroid, it will obtain a sample of roughly 100 g, which will be returned to Earth with the Earth Re-entry capsule.

——> new depth to our understanding of the early Solar System and of other near-Earth asteroids

Our objective:

ISL testing program in the frame of MarcoPolo-R ERC Dynamic Stability Characterization under ESA/ESTEC (European Space Agency) contract and prime contractor Airbus Safran Launchers

Aeroshape of the Earth Re-entry Capsule designed by Airbus Safran Launchers

▶ To characterize, from the supersonic to the subsonic regime, the basic aerodynamics of a subscale atmospheric entry space probe with primary focus on the dynamic stability characterization, the dynamic scaling and the influence of the center of gravity position

——> **identification of the aerodynamic coefficients based on free flight data**

▶ To complete the aerodynamic data base (AEDB)



Outline

- Experimental framework
- Aerodynamic parameter identification
- Results
- Conclusions



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Model design and instrumentation

Subscale models of an Earth Re-entry Capsule (scale of models: 1:11)

Three distinct model architectures: L_25, H_25 and L_30 (Diameter $D = 80$ mm)



Model L_25
(brass: $m=562$ g)
 $X_{cg}/D = 25\%$



Model H_25
(tungsten: $m=1150$ g)
 $X_{cg}/D = 25\%$



Model L_30
(tungsten/zircal: $m=539$ g)
 $X_{cg}/D = 30\%$

Same center of gravity position, distinct masses
→ *for dynamic scaling issues*

Distinct center of gravity positions
→ *for influence of the center of gravity issues*

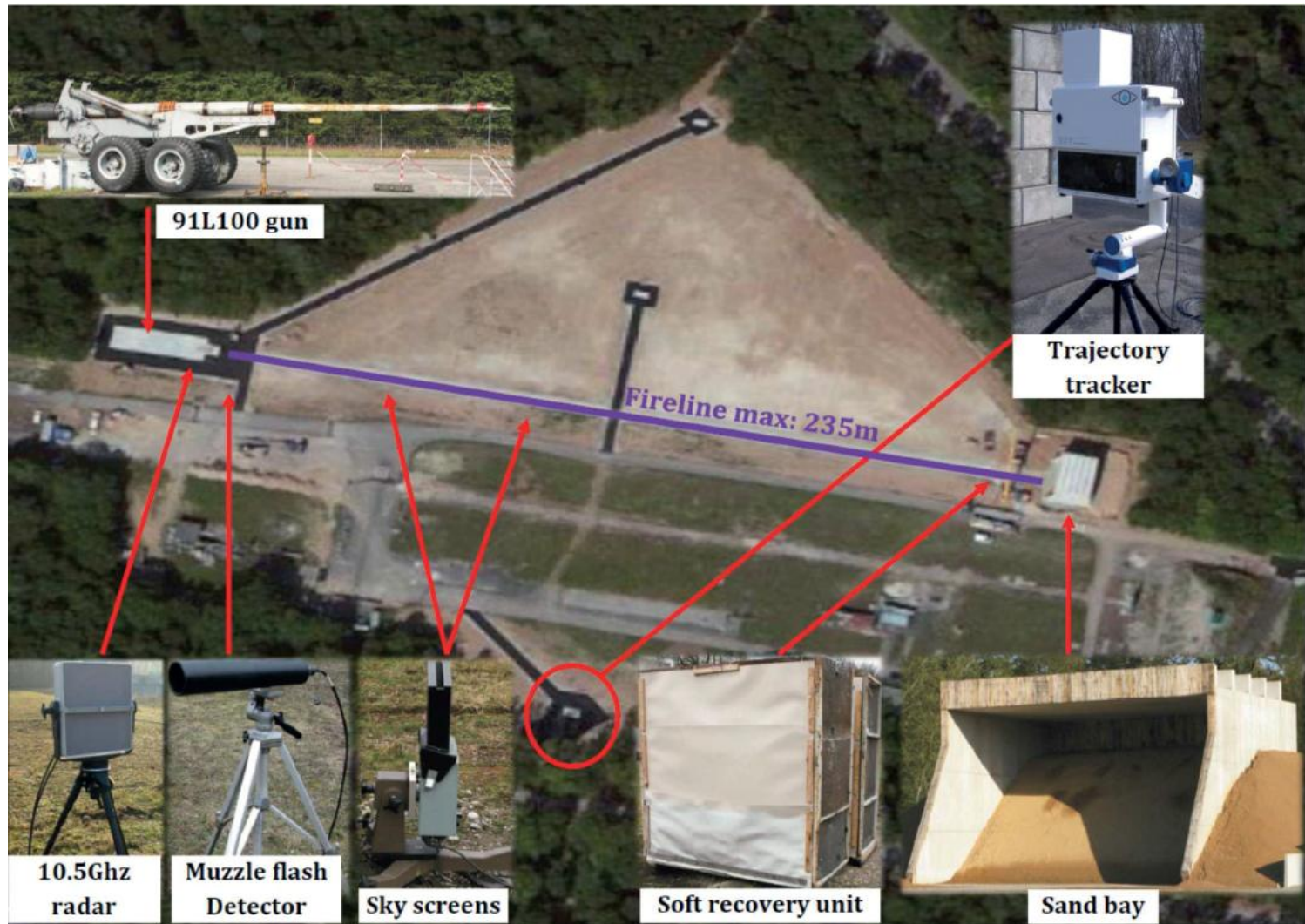
All models equipped with:

- 3 magnetic sensors (1 axial and 2 radials)
- 2 radial accelerometers



Open range test facility and test conditions

Several free flight tests were performed with the three distinct model architectures (L_25, H_25, L_30) at the ISL Open Range test site



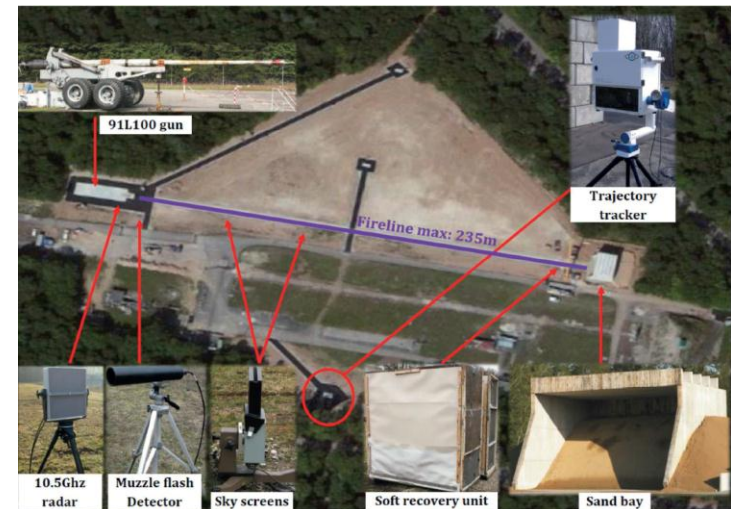
Open range test facility, test conditions and challenges

Experimental conditions and challenges:

- Sabot design for initial angle of attack α_0 of 0, 6 and 10°
 - All sabot were made in 4 petals
- Spin rates between 0 and 4.3 Hz
 - Rubber strips glued inside each sabot petal
 - Rifled adapter at the gun muzzle
- Initial Mach number ranging between 0.9 to 3.2, for firing distances of 150 and 225m
- Electronic package potted inside the model in order to prevent damage due to high launch accelerations and impact shocks
- Successful synchronization of distinct measurement techniques



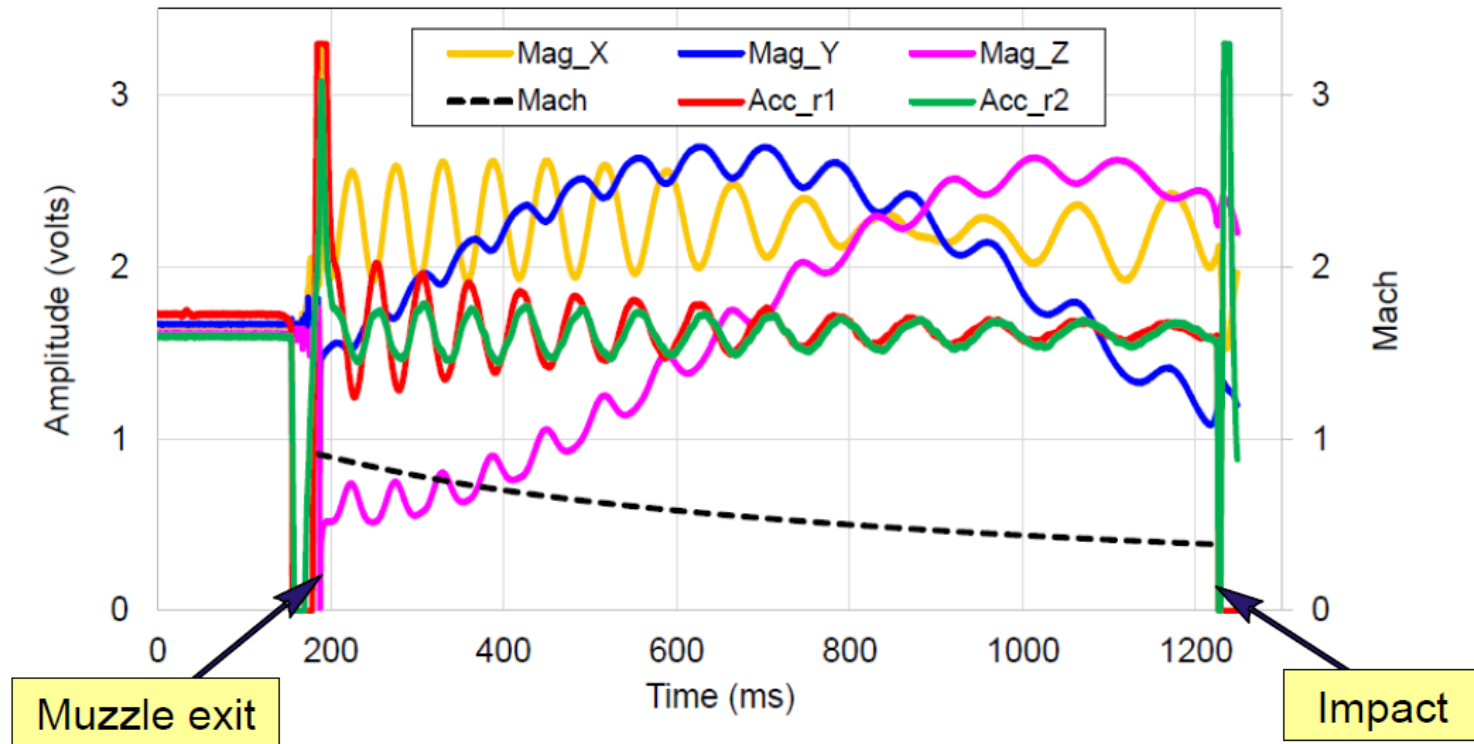
Model/sabot package for $\alpha_0 = 10^\circ$



Measurement techniques

Example of a space vehicle free flight test for $M_0 = 0.8$, $\alpha_0 = 10^\circ$, $\omega_x = 39$ rpm

- Raw signals obtained from the embedded sensors



- Video obtained from a high speed video trajectory tracker



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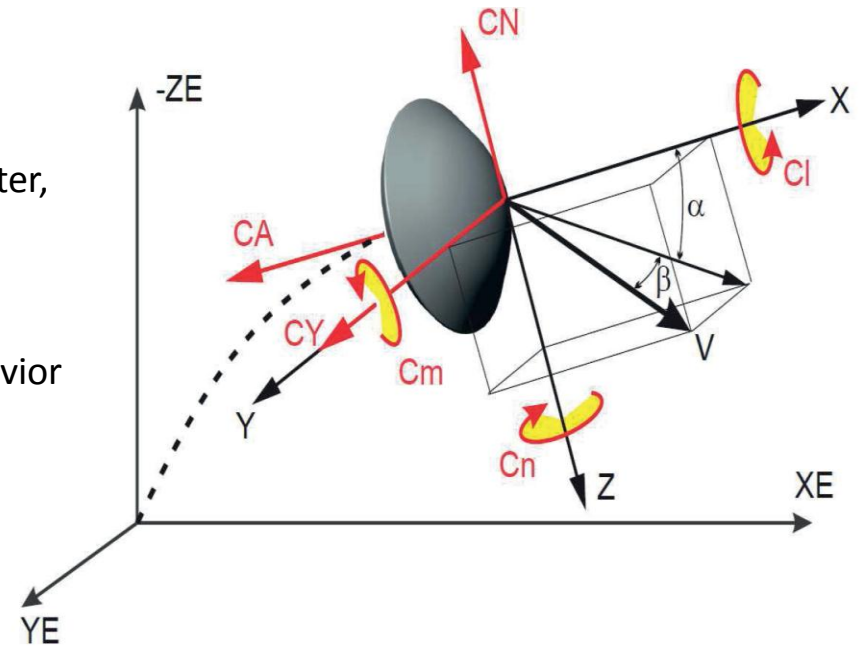


Aerodynamic parameter identification

Let us suppose that we have access to

- Free flight data corresponding to 3D magnetometer, radar and 3D optical system
- Nonlinear state-space model describing the behavior of the vehicle in free flight

$$\begin{cases} \dot{\mathbf{x}}(t) = f(\mathbf{x}(t), \mathbf{C}(\mathbf{x}(t), \mathbf{p}_a)), & \mathbf{x}(0) = \mathbf{x}_0 \\ \mathbf{y}(t) = g(\mathbf{x}(t)) \end{cases}$$



where $\mathbf{x} = [V, \alpha, \beta, \omega_x, \omega_y, \omega_z, \phi, \theta, \psi, x_E, y_E, z_E]$ - state variable vector

$\mathbf{y} = [V, H_{x,body}, H_{y,body}, H_{z,body}]$ - output variable vector

$\mathbf{C} = [C_A, C_Y, C_N, C_l, C_m, C_n]$ - global aerodynamic coefficients

\mathbf{p}_a - aerodynamic coefficient parameter vector

► Parameter identification of aerodynamic coefficients based on free flight data



Aerodynamic parameter identification

The determination of the aerodynamic coefficients based on free flight data, considering a given mathematical structure of the model flight,

$$\begin{cases} \dot{\mathbf{x}}(t) = f(\mathbf{x}(t), \mathbf{C}(\mathbf{x}(t), \mathbf{p}_a)), & \mathbf{x}(0) = \mathbf{x}_0 \\ \mathbf{y}(t) = g(\mathbf{x}(t)) \end{cases}$$

corresponds to a parameter identification problem, where the unknown parameters are defined by

- Parameters \mathbf{p}_i describing the aerodynamic coefficients :

$$C_i(M, \alpha_t, \mathbf{p}_i) = h_i(M, \alpha_t, \mathbf{p}_i)$$

$$M = V / a, \quad \alpha_t = \arccos(\cos \alpha \cos \beta)$$

- Nine initial state variables:

$$i = D, L\alpha, m\alpha, mq$$

$$[V_0, \alpha_0, \beta_0, \omega_{x0}, \omega_{y0}, \omega_{z0}, \phi_0, \theta_0, \psi_0]$$

The parameter identification problem is challenging mainly due to:

- The nonlinear structure of the mathematical model
- The nonlinear dependency of the aerodynamic coefficients on several state variables
- The constraints imposed by the experimental conditions
- The absence of an input signal
- The additional estimation of the nine initial state variables

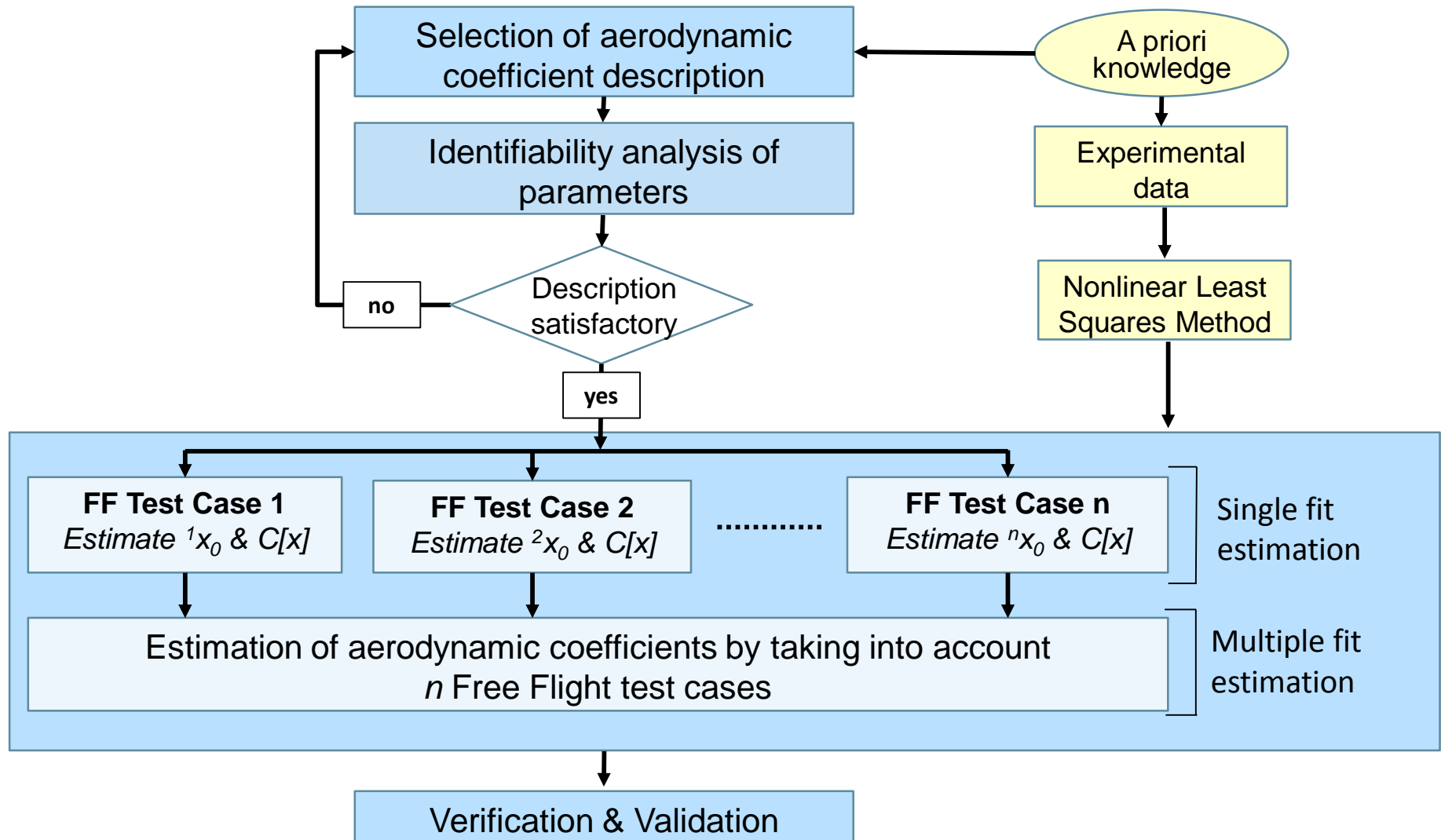


Solution:

Define an adapted identification procedure



Identification procedure



Albisser M., "Identification of aerodynamic coefficients from free flight data", PhD Report, 2015. ISL Report R 118/2015



Outline

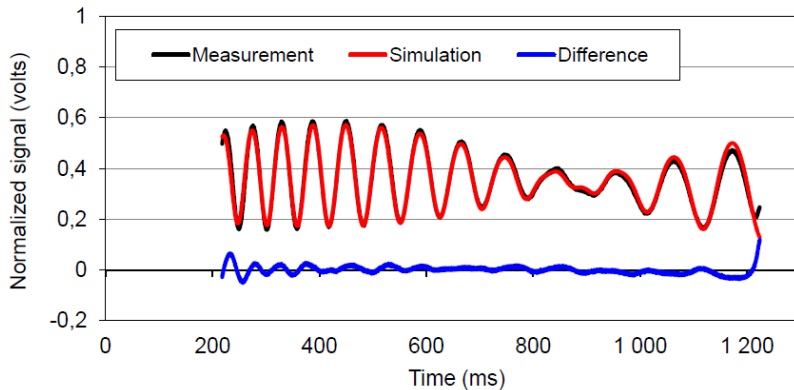
- Experimental framework
- Aerodynamic parameter identification
- **Results**
- Conclusions



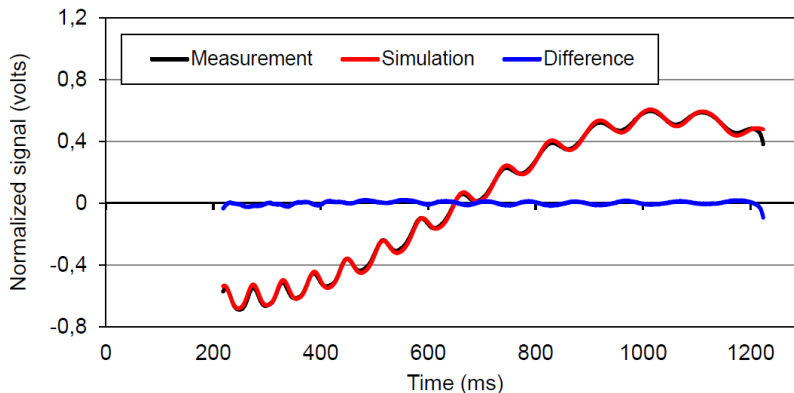
Results

3D magnetometer signals

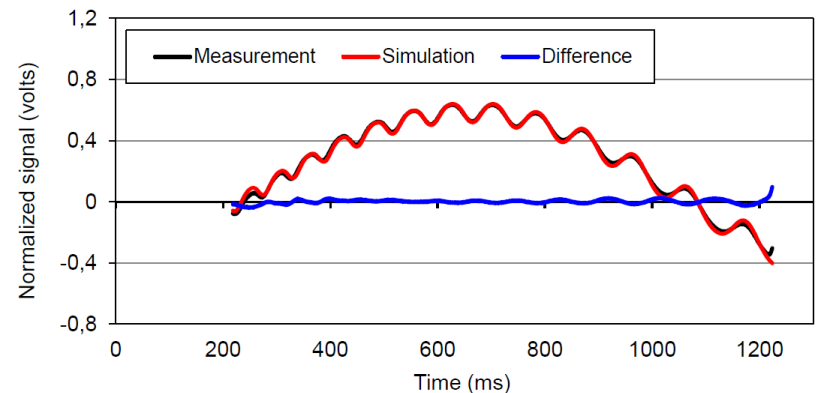
Run #1452_38, $M_0=0.8$, $\alpha_0=10^\circ$, $\omega_x=39$ rpm



Axial magnetometer



First radial magnetometer



Second radial magnetometer

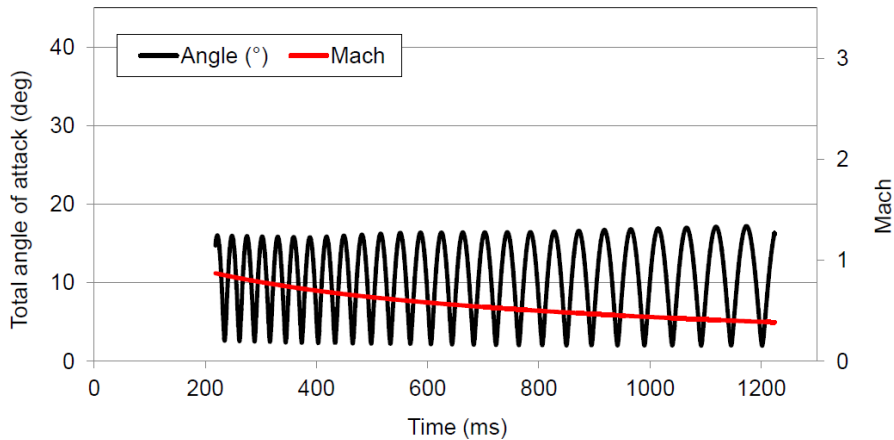
Signals are normalized for values between -1 and 1 corresponding to signal amplitude of 0V to 3.3V



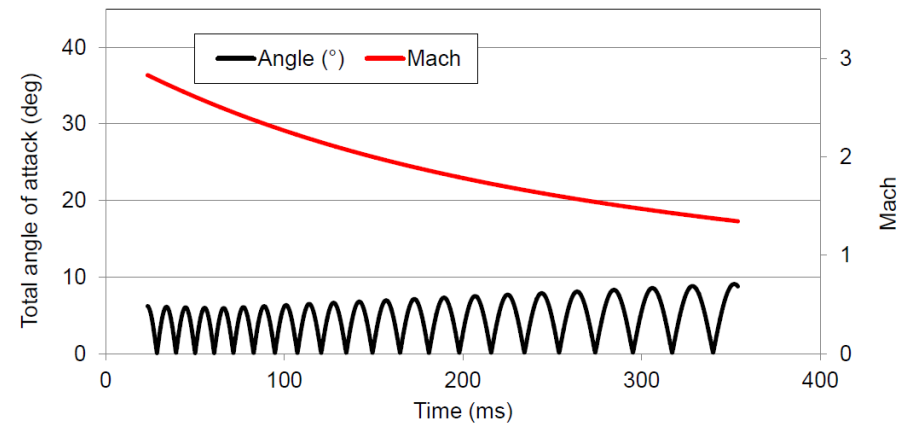
Results

Evolution of the Mach number and total angle of attack α_t

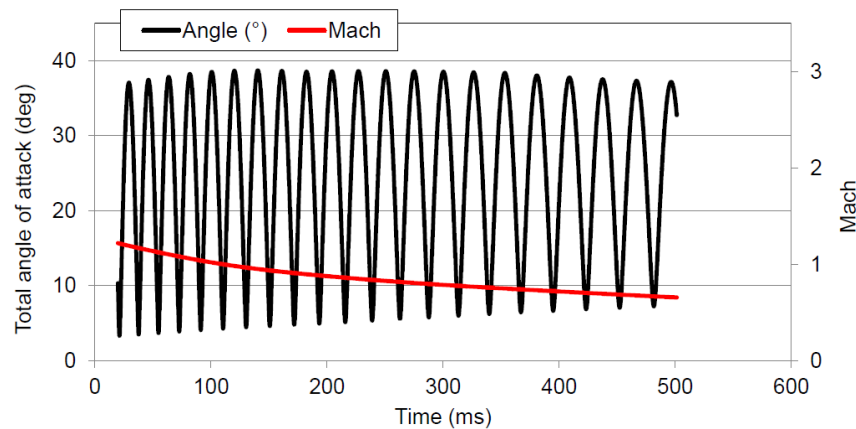
L_25: $M_0=0.8$, $\alpha_0=10^\circ$, $\omega_x=39$ rpm



H_25: $M_0=3.0$, $\alpha_0=0^\circ$, $\omega_x=37$ rpm



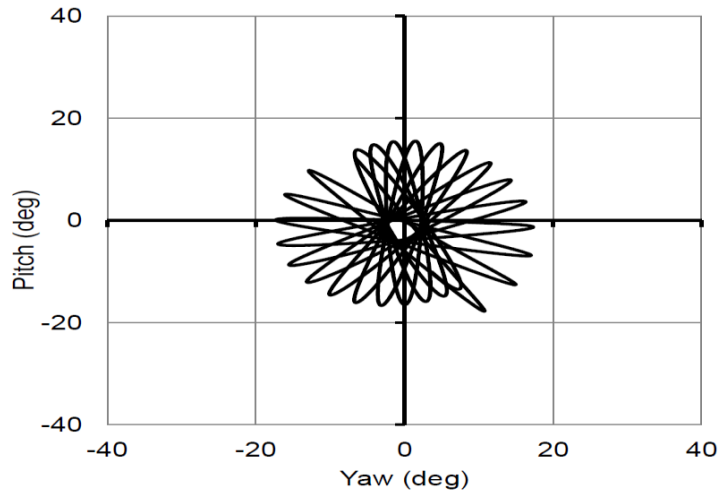
L_30: $M_0=1.2$, $\alpha_0=6^\circ$, $\omega_x=256$ rpm



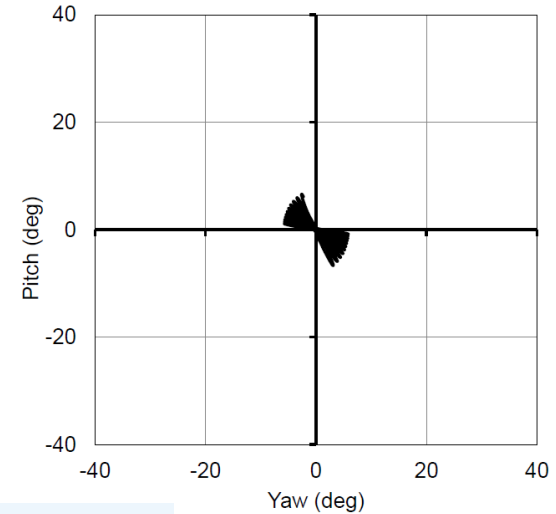
Results

Evolution of the polar motion

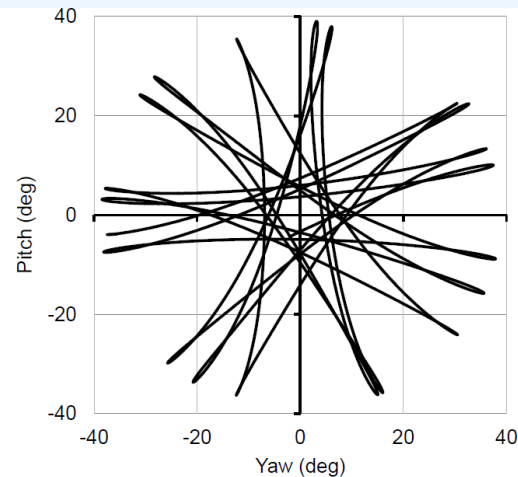
L_25: $M_0=0.8$, $\alpha_0=10^\circ$, $\omega_x=39$ rpm



H_25: $M_0=3.0$, $\alpha_0=0^\circ$, $\omega_x=37$ rpm



L_30: $M_0=1.2$, $\alpha_0=6^\circ$, $\omega_x=256$ rpm



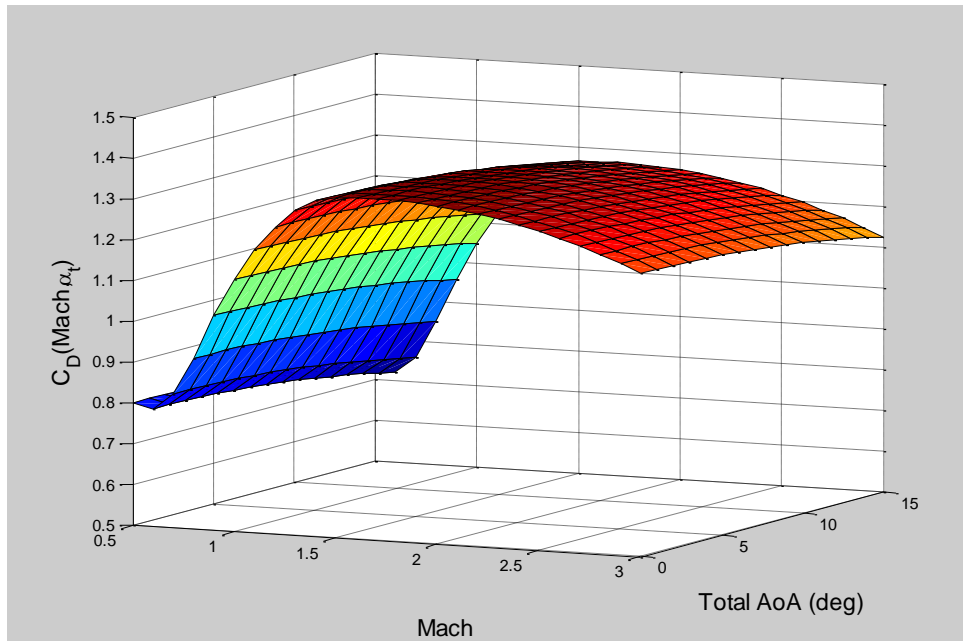
► Qualitative analysis of the polar motion



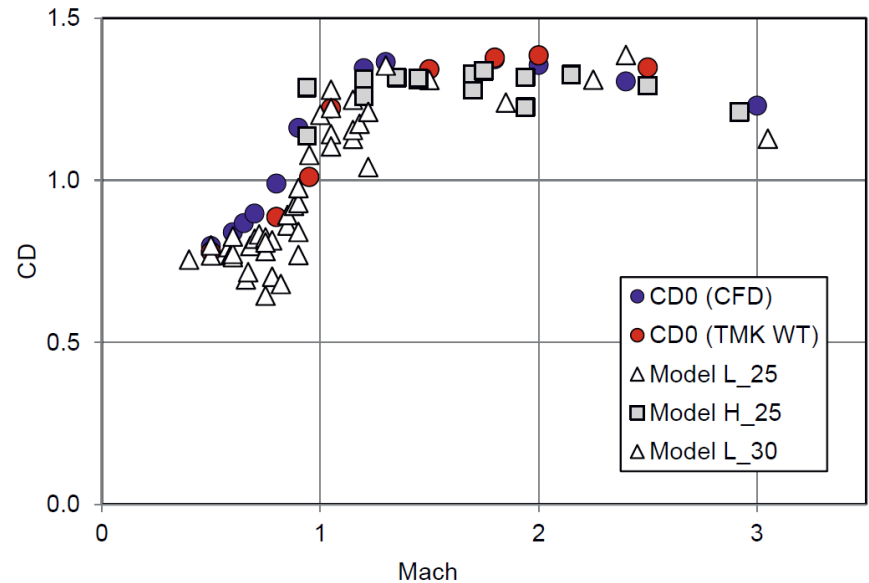
Results

Estimation of the Drag coefficient C_D

Multiple-fit results



Single-fit results



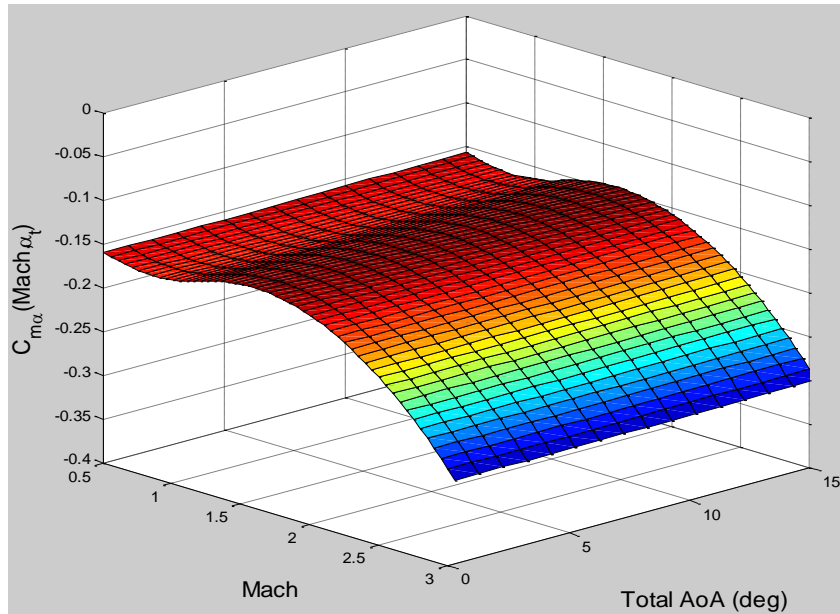
$$\begin{aligned}
 CD(M, \alpha) = & C_{D,0} + C_{D,\varepsilon 2} \cdot \sin^2 \alpha_t + C_{D,m1} \cdot M + C_{D,m2} \cdot M^2 + \\
 & + C_{D,sm1} \cdot \begin{cases} (M - 0.8)^2, & \text{if } M \geq 0.8 \\ 0, & \text{if } M < 0.8 \end{cases} + C_{D,sm2} \cdot \begin{cases} (M - 1.5)^2, & \text{if } M \geq 1.5 \\ 0, & \text{if } M < 1.5 \end{cases}
 \end{aligned}$$



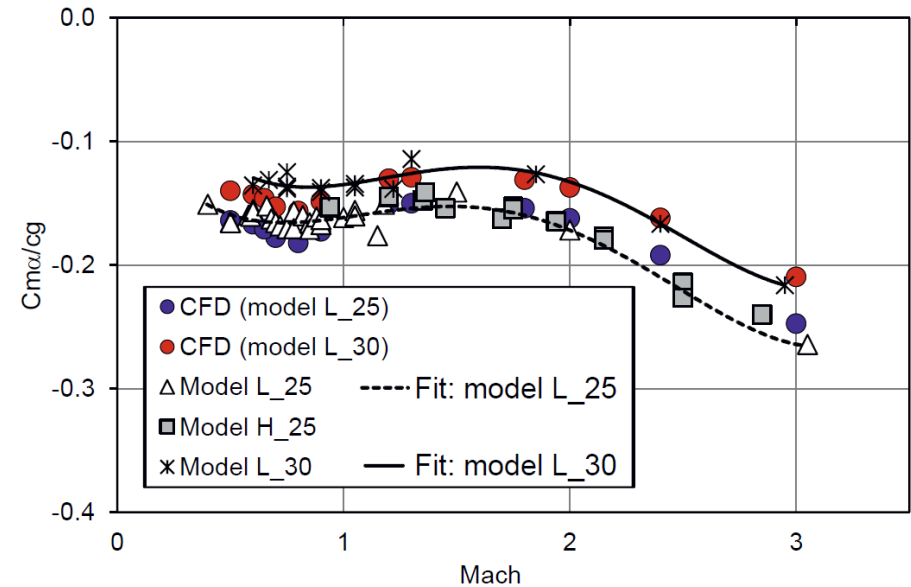
Results

Estimation of the Pitch moment coefficient derivative $C_{m\alpha}$

Multiple-fit results



Single-fit results

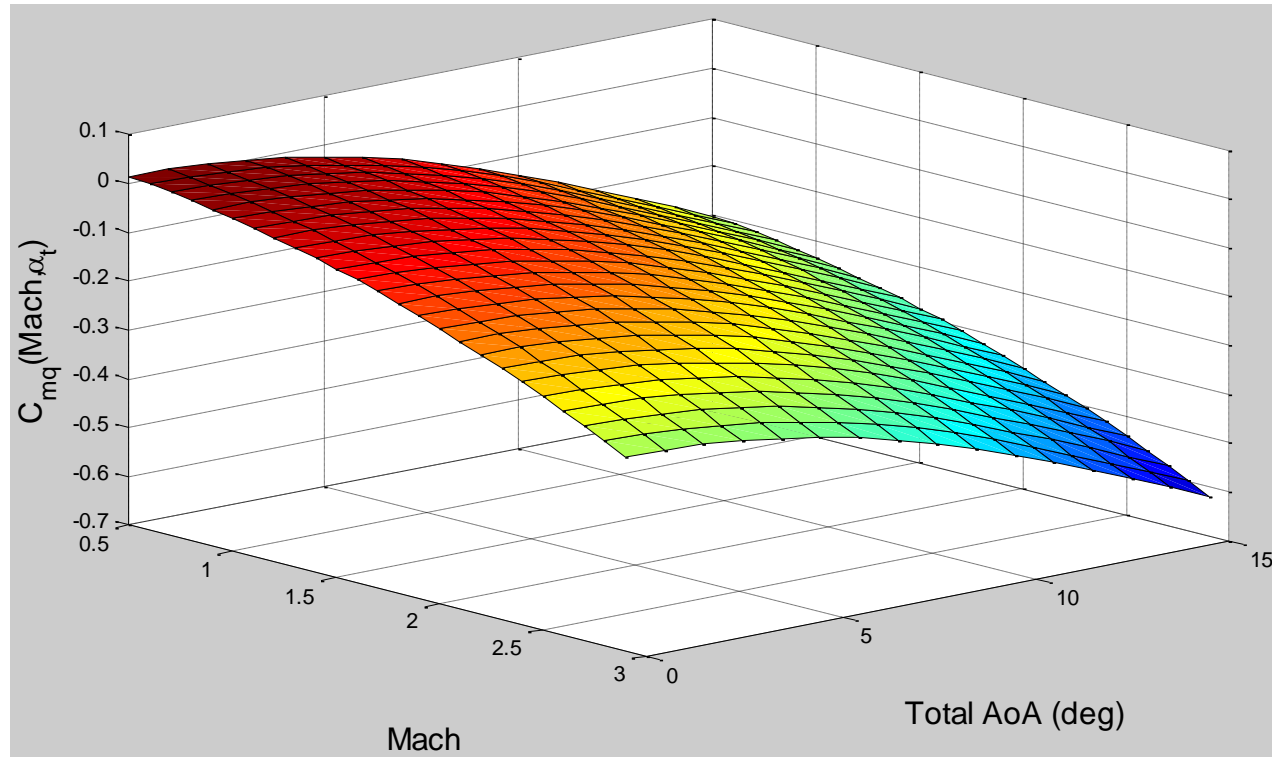


$$\begin{aligned}
 C_{m\alpha}(M, \alpha_t) = & C_{m\alpha,0} + C_{m\alpha,\varepsilon} \cdot \sin^2 \alpha_t + C_{m\alpha,m1} \cdot M + C_{m\alpha,m2} \cdot M^2 + \\
 & + C_{m\alpha,s1} \cdot \begin{cases} (M - 1.2)^2, & \text{if } M \geq 1.2 \\ 0, & \text{if } M < 1.2 \end{cases} + C_{m\alpha,s2} \cdot \begin{cases} (M - 2)^2, & \text{if } M \geq 2 \\ 0, & \text{if } M < 2 \end{cases} \\
 & + C_{m\alpha,s3} \cdot \begin{cases} (\alpha_t - \bar{\alpha}_{t,1})^2, & \text{if } \alpha_t \geq \bar{\alpha}_{t,1}; \\ 0, & \text{if } \alpha_t < \bar{\alpha}_{t,1}; \end{cases} \quad \bar{\alpha}_{t,1} = 10^\circ
 \end{aligned}$$



Results

Estimation of the Pitch damping coefficient C_{mq}

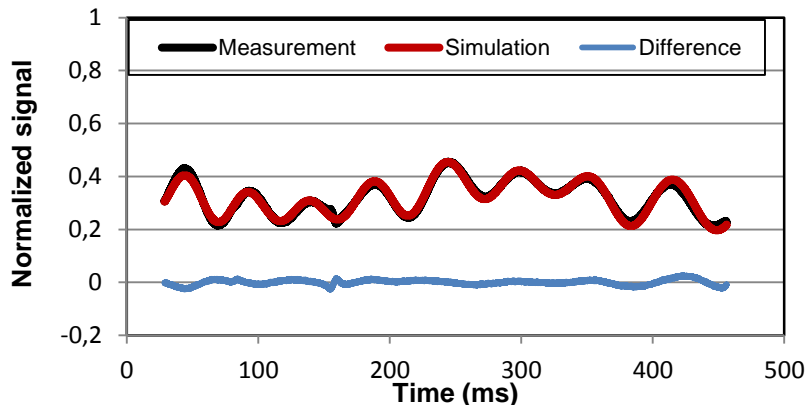


$$C_{mq}(M, \alpha, \beta) = C_{mq,0} + C_{mq,\varepsilon 2} \cdot \sin^2 \alpha_t + C_{mq,m1} \cdot M + C_{mq,m2} \cdot M^2 + \\ + D_{\alpha 1} \cdot \begin{cases} (\alpha_t - \bar{\alpha}_{t,1})^2, & \text{if } \alpha_t \geq \bar{\alpha}_{t,1}; \\ 0, & \text{if } \alpha_t < \bar{\alpha}_{t,1} \end{cases} \quad \bar{\alpha}_{t,1} = 10^\circ$$

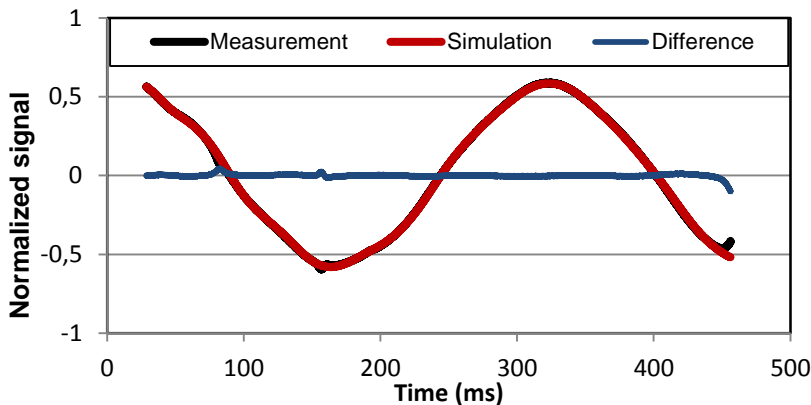
Results

Validation step (3D magnetometer signals)

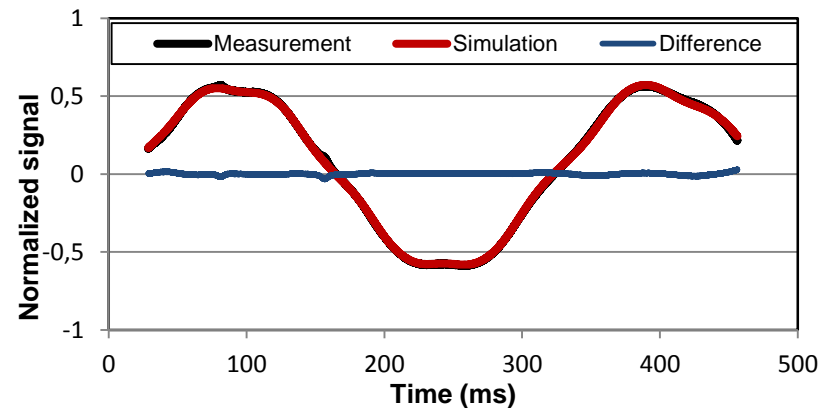
Run #1452_45, $M_0=0.8$, $\alpha_0=0$



Axial magnetometer



First radial magnetometer



Second radial magnetometer

Signals are normalized for values between -1 and 1 corresponding to signal amplitude of 0V to 3.3V



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Conclusions

- Three types of instrumented models were launched at initial Mach numbers equal to 0.8, 1.2, 1.8 and 3.0, for initial angles of 0, 6 and 10° and spin rates between 0 and 250 rpm
- Data reduction:
 - a multiple fit strategy was applied in order to determine the evolution of the aerodynamic coefficients as a function of the Mach number and total angle of attack α_t
 - was very arduous especially for an accurate determination of the initial conditions of the state variables
- Obtained results showed that:
 - with the exception of the normal force coefficient, coefficients $C_{D'}$, $C_{m\alpha}$ and C_{mq} were determined as a function of Mach and angle of attack
 - in all cases a combination of pitching and yawing that induces in some cases a strong conical or wobbling motion associated to small or large spin rates
 - the dynamic stability derivatives are a complex function of angle of attack and Mach number
- The ISL results allowed the population of the MarcoPolo-R aerodynamic data base (AEDB)



Conclusions

Challenges

- ▶ **Model design:** *from a mechanical and electronical point of view*
- ▶ **Instrumentation:** *design and manufacturing of the electronic equipment, calibration of the sensors*
- ▶ **Sabot design:** *to ensure the desired behavior in flight*
- ▶ **Free flight test:** *challenges in terms of synchronization between measurement techniques, spin system, recovery*
- ▶ **Data reduction :** *identification of aerodynamic coefficients*

Acknowledgments

- the free flight team (ABX) for the design of the models and sabots, conducting the tests
- E. Junod, O. Litschig, R. Adam (STC) for developing, designing, calibrating the electronics
- the ISL main workshop for manufacturing the models and sabots



THANK YOU FOR YOUR ATTENTION



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